

## ERRATA: LINEAR GROUPS AND GROUP RINGS

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There is a small, easily corrected error in paper [GP]. We had hoped to incorporate the few needed changes into the published manuscript, but somehow this did not happen. In any case, a suitably modified version of the manuscript has been available on-line for quite some time at

[www.math.wisc.edu/~passman/lingroup.pdf](http://www.math.wisc.edu/~passman/lingroup.pdf).

The four required changes are as follows.

1. Add this sentence immediately before [GP, Lemma 1.1].

“Finally, we define

$$d(Y, v) = d(v, Y) = d(Fv, Y) = \inf\{d(v, y) \mid y \in Y\}.”$$

2. The inequality  $d(X, Z) \leq d(X, Y) + d(Y, Z)$  that appears in the paragraph immediately following the proof of [GP, Lemma 1.1] is not true in general, as was pointed out to us by Ángel del Río. Indeed, it fails, for example, when  $Y = X \cup Z$  are projective subsets with  $d(X, Z) \neq 0$ . So, we replace this entire paragraph with

“It is clear from the above that if  $X$  and  $Z$  are projective subsets of  $V$  and if  $0 \neq y \in V$ , then

$$\begin{aligned} d(X, Z) &= \inf\{d(x, z) \mid 0 \neq x \in X, 0 \neq z \in Z\} \\ d(X, Z) &\leq d(X, y) + d(y, Z).” \end{aligned}$$

3. The incorrect inequality shows up twice in the paper, once in the proof of [GP, Proposition 1.2] and once in the proof of [GP, Proposition 1.4]. Replace the first paragraph of the proof of [GP, Proposition 1.2] with the following argument that certainly makes more sense.

“*Proof.* It is clear that both  $\bar{X}$  and  $\bar{I}$  are projective subsets of  $V$ . Furthermore, if  $0 \neq u \in \bar{X}$  is arbitrary, then by definition of  $\kappa$  and  $\bar{X}$ , we have

$$\kappa + d(u, K) \geq d(X, u) + d(u, K) \geq d(X, K) \geq 2\kappa,$$

so  $d(u, K) \geq \kappa$ . In particular,  $d(\bar{X}, K) \geq \kappa$  and  $\bar{X}$  is disjoint from  $K$ . Since  $\mathcal{P}(V)$  has diameter  $\leq 2$ , we also have  $\kappa \leq 1$ .”

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4. Finally, replace the first paragraph of the proof of [GP, Proposition 1.4] with the few lines given below.

“*Proof.* Since  $T$  is diagonalizable, we have  $V = I \oplus K$ , and it is clear that both  $\bar{X}$  and  $\bar{I}$  are projective subsets of  $V$ . Furthermore, if  $0 \neq u \in \bar{X}$  is arbitrary, then by definition of  $\kappa$  and  $\bar{X}$ , we have

$$\kappa + d(u, K) \geq d(X, u) + d(u, K) \geq d(X, K) \geq 2\kappa,$$

so  $d(u, K) \geq \kappa$ . Hence  $d(\bar{X}, K) \geq \kappa$ .”

#### REFERENCES

- [GP] J. Z. Gonçalves and D. S. Passman, *Linear groups and group rings*, J. Algebra.

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